

10th Biennial Joint CNC/CIE and CIE/USA Technical Conference and Business Meeting
October 18 – 20, 2015, Toronto, CANADA

Goniometric measurement of light sources using an integrating sphere

Yuqin Zong

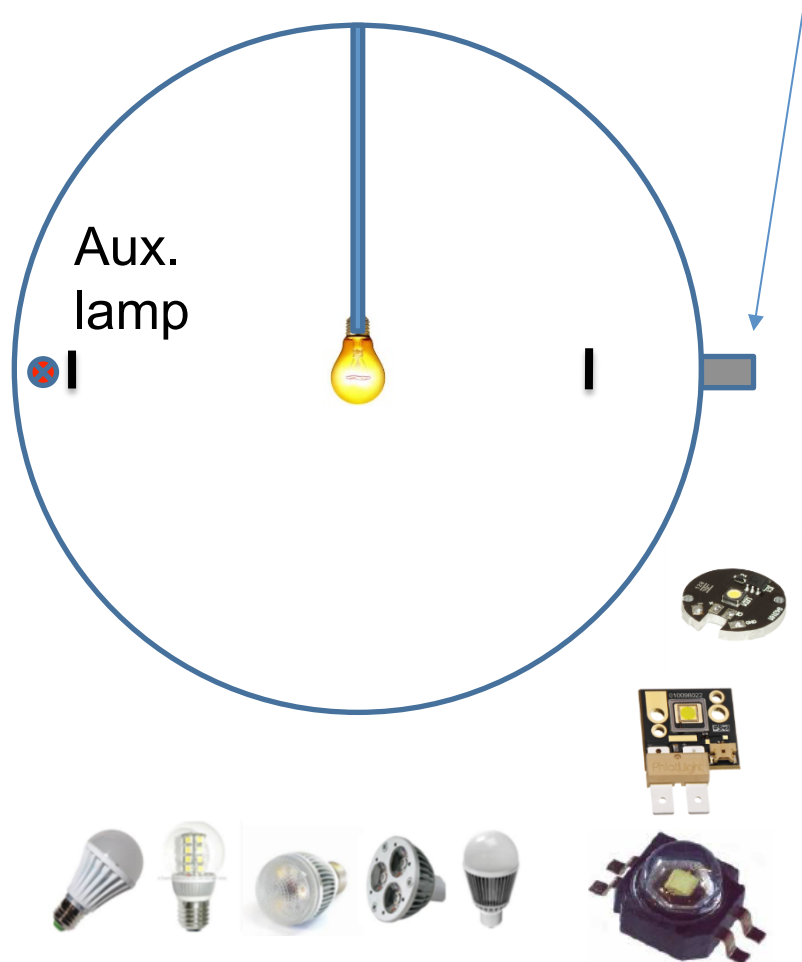
National Institute of Standards and Technology
Gaithersburg, Maryland
USA

Outline

1. Motivation
2. The new integrating sphere - fisheye camera method
3. Experiment
4. Summary

An integrating sphere system

Photometer or
Spectroradiometer



- Fast measurement
- but obtain total flux **only**.

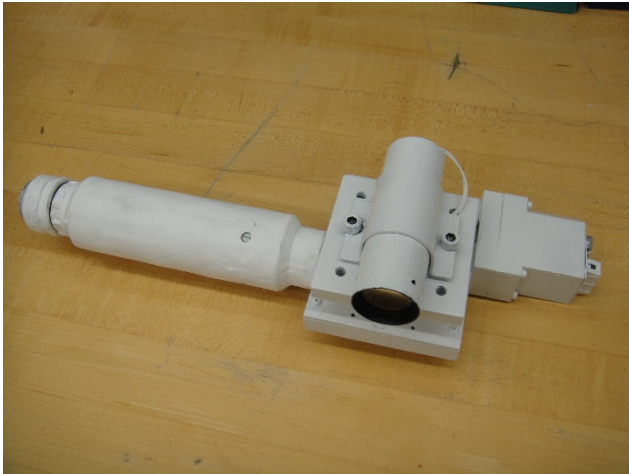
Corrections required

- Spectral mismatch
- Stray light
- Self-absorption
- Angular mismatch??

Spatial non-uniformity of Integrating Spheres

- Well-known issue.
- Strict substation, but not always practical.
- Correction, but difficult.
- Practical limit for achievable low uncertainty.
- Efforts has been made ...

Effort 1: Mapping sphere using a beam scanner

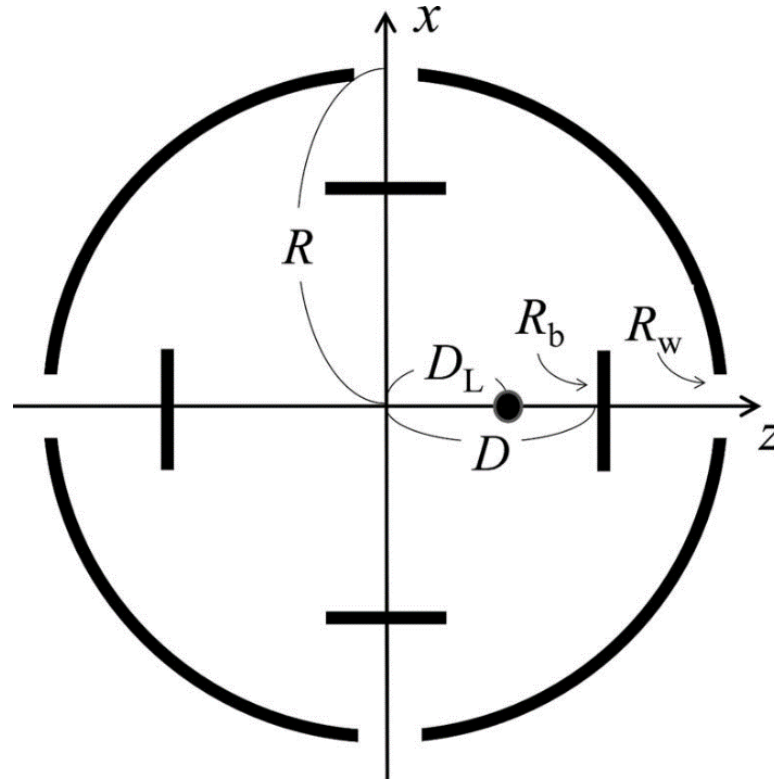


Ohno Y. and Zong Y.,
“Detector-Based Integrating
Sphere Photometry.” Proc.,
24th Session of the CIE, Vol. 1,
Part 1, 155-160. (1999)



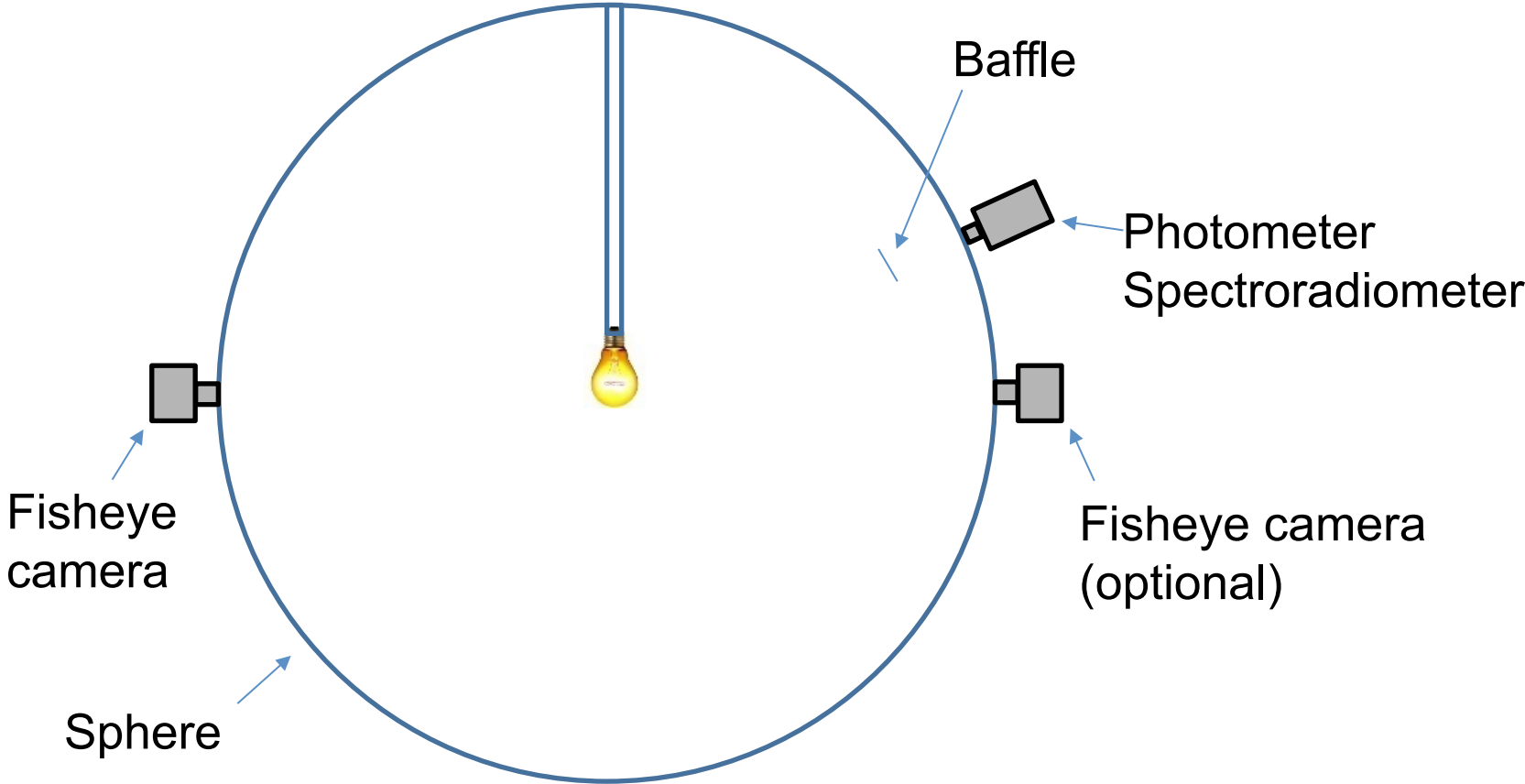
Winter S., Lindermann M., Jordan W.,
Binder U., and Anokhin M.,
“Convenient integrating sphere scanner for
accurate luminous flux measurements.”
Metrologia, 46, S248-S251. (2009)

Effort 2: Six-port integrating sphere photometer

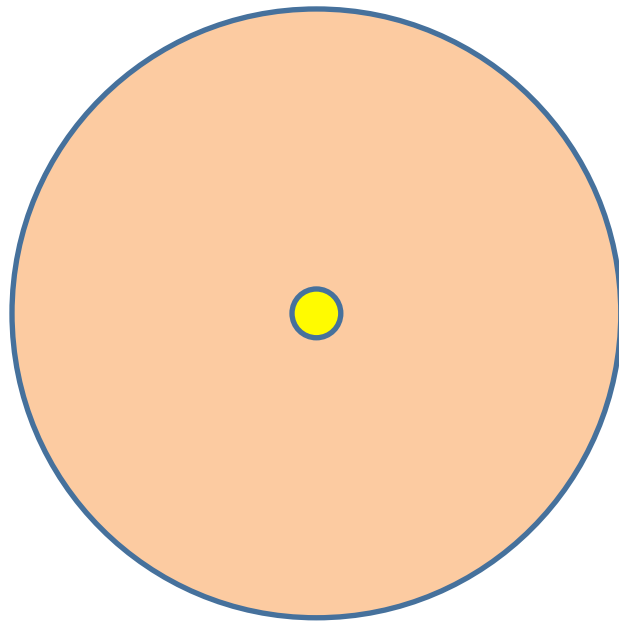


Park S. C., Lee D. H., and Park S. N., "Six-port integrating sphere photometer with uniform spatial response." *Applied Optics*, 45, No. 6, 1111-1119. (2011)

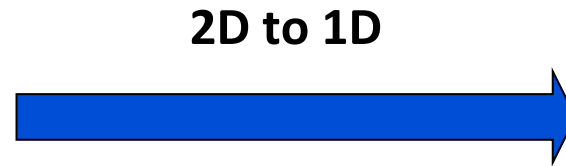
The new integrating sphere–fisheye camera method



Point Spread Function (PSF) of the system



2D PSF



1D column vector PSF

2-D problem to 1D problem!

Calculation of Point Spread Function (PSF)

$$L_{\downarrow J} = \Phi_{\downarrow J} \rho_{\downarrow J} n / 4\pi r^2 + \Phi_{\downarrow J} \rho_{\downarrow J}^2 \rho / 4\pi r^2 (1 - \rho) \sum_{i \neq J} L_{\downarrow i} / 4\pi r^2 (1 - \rho)$$

$$L_{\downarrow i}, J = \begin{cases} 1 & i = J \\ (1 - \rho)n + \rho_{\downarrow J} \rho & i = 1, 2, \dots, J-1, J+1, \dots, n \end{cases} \quad @ \rho_{\downarrow i} /$$

$L_{\downarrow J}$ is the luminance at the “hot” element, J;

$L_{\downarrow i}$ is the luminance at any other element, i ;

$\Phi_{\downarrow J}$ is the total flux from the spot light illuminating the element, J, directly;

$\rho_{\downarrow J}$ is the diffuse reflectance of coating at element, J;

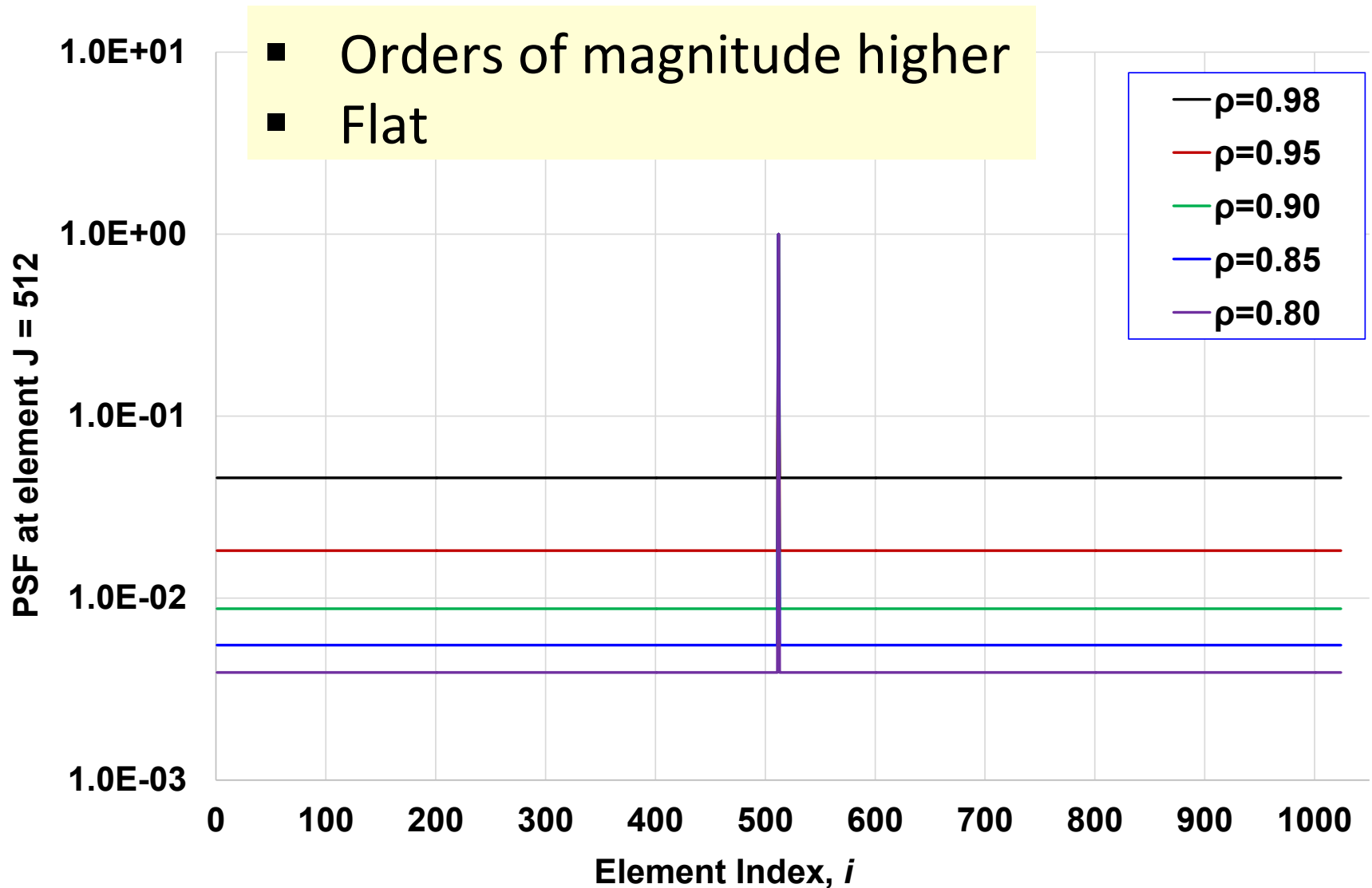
$\rho_{\downarrow i}$ is the diffuse reflectance of coating at element, i ;

ρ is the effective diffuse reflectance of the sphere determined by the averaged coating reflectance, total port areas, self-absorption of the light source;

r is the radius of the sphere;

n is the total number of surface elements.

Characteristic of PSFs



Building PSF matrix, H

$[h_{1,1} \ h_{1,2} \ h_{1,3} \ h_{1,4} \ h_{1,5} \ h_{1,6} \ h_{1,7} \ h_{1,8} \ h_{1,9} \ \dots \ h_{1,1022} \ h_{1,1023} \ h_{1,1024}]$

Obtaining the relative luminance distribution

$$L_{l, meas} = \sum_{j=1}^n h_{l, j} \times L_j$$

$h_{l, j}$ is element, j , at row, l , of the PSF matrix;

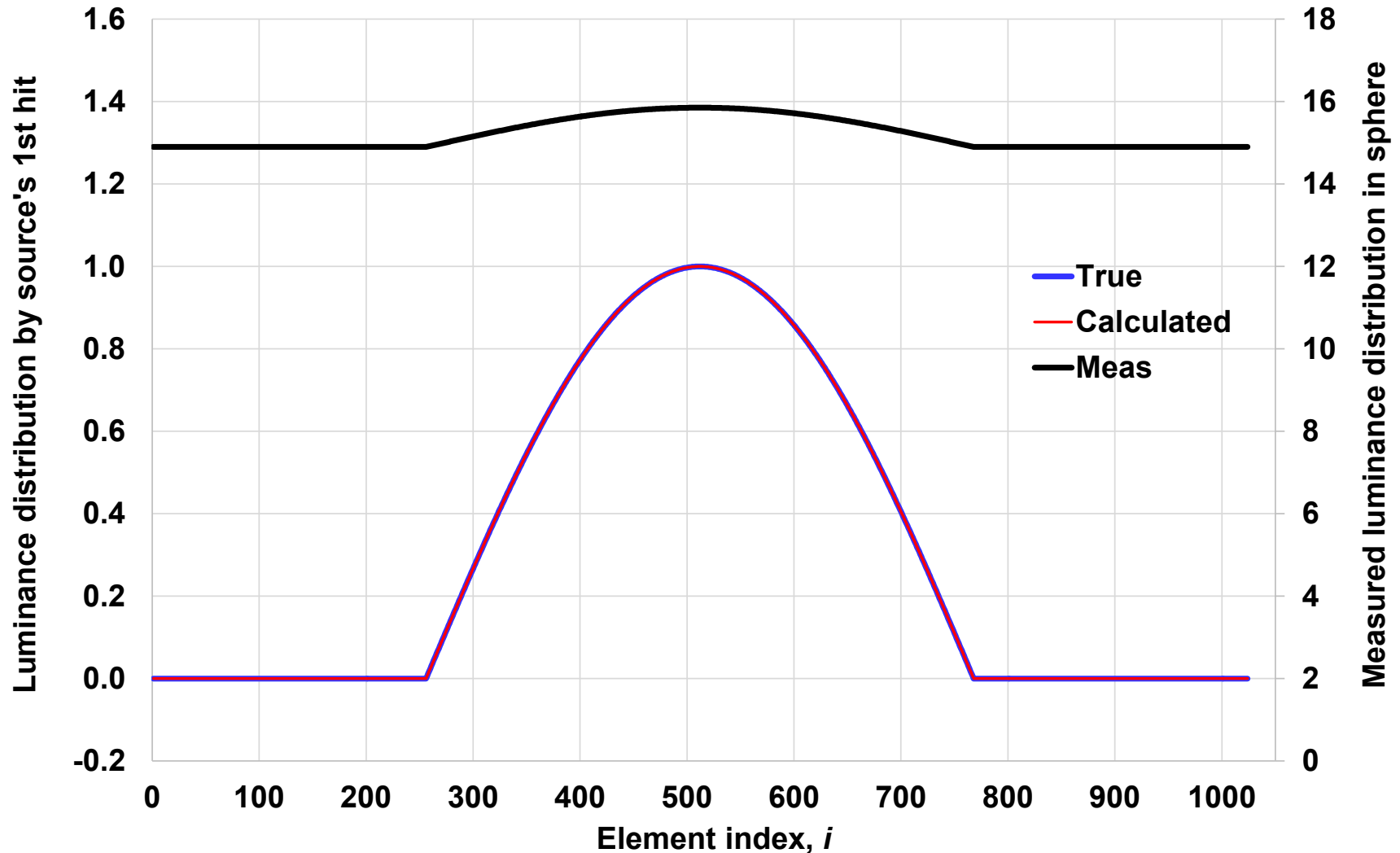
L_j is the luminance at element, j , resulting from the luminous flux of the light source within the solid angle covered by the area of the element, j .

$$L_{meas} = H L$$



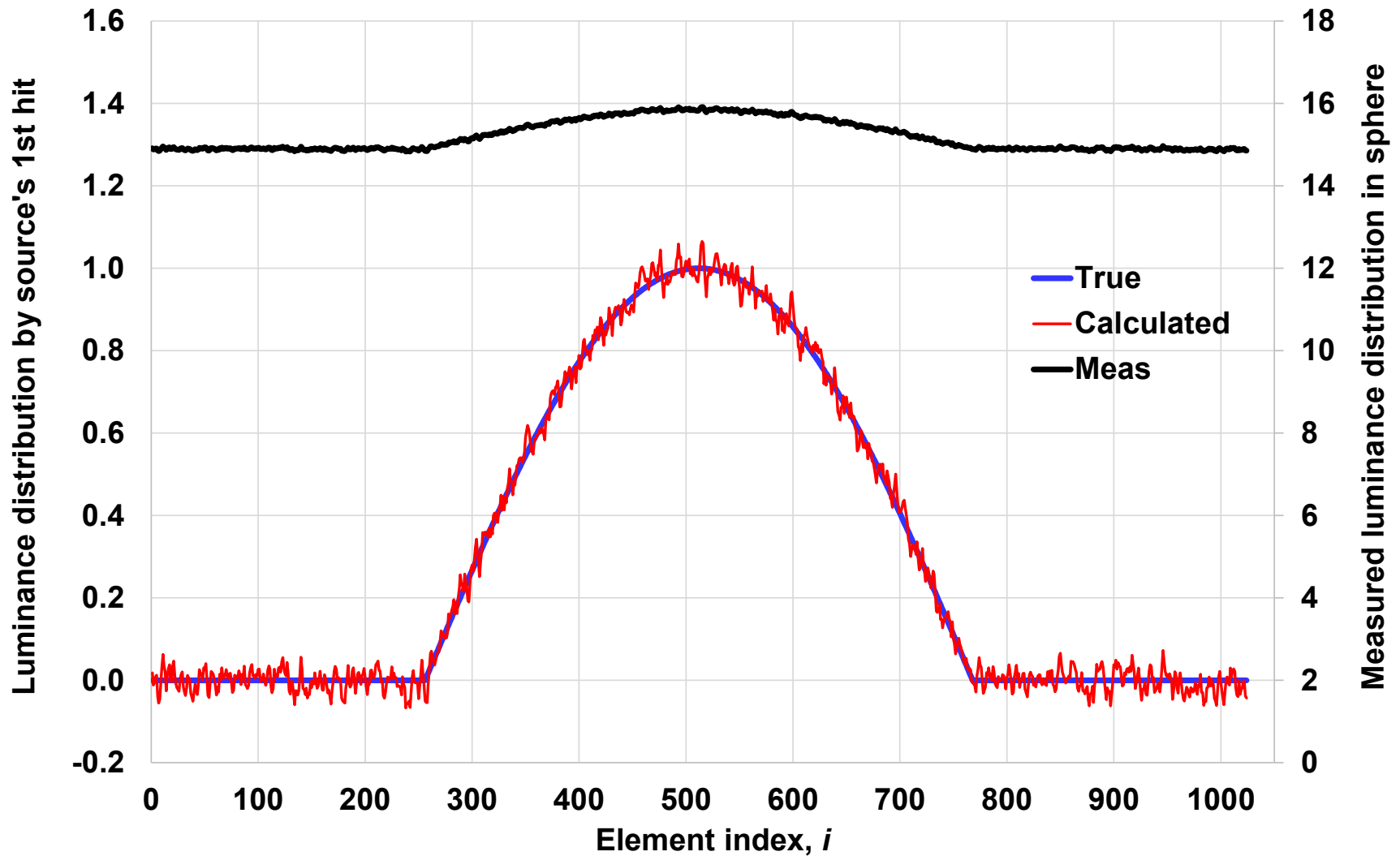
$$L = H^{-1} L_{meas}$$

Derived luminance distribution ($n=1024$) $\rho = 0.98$, no added noise



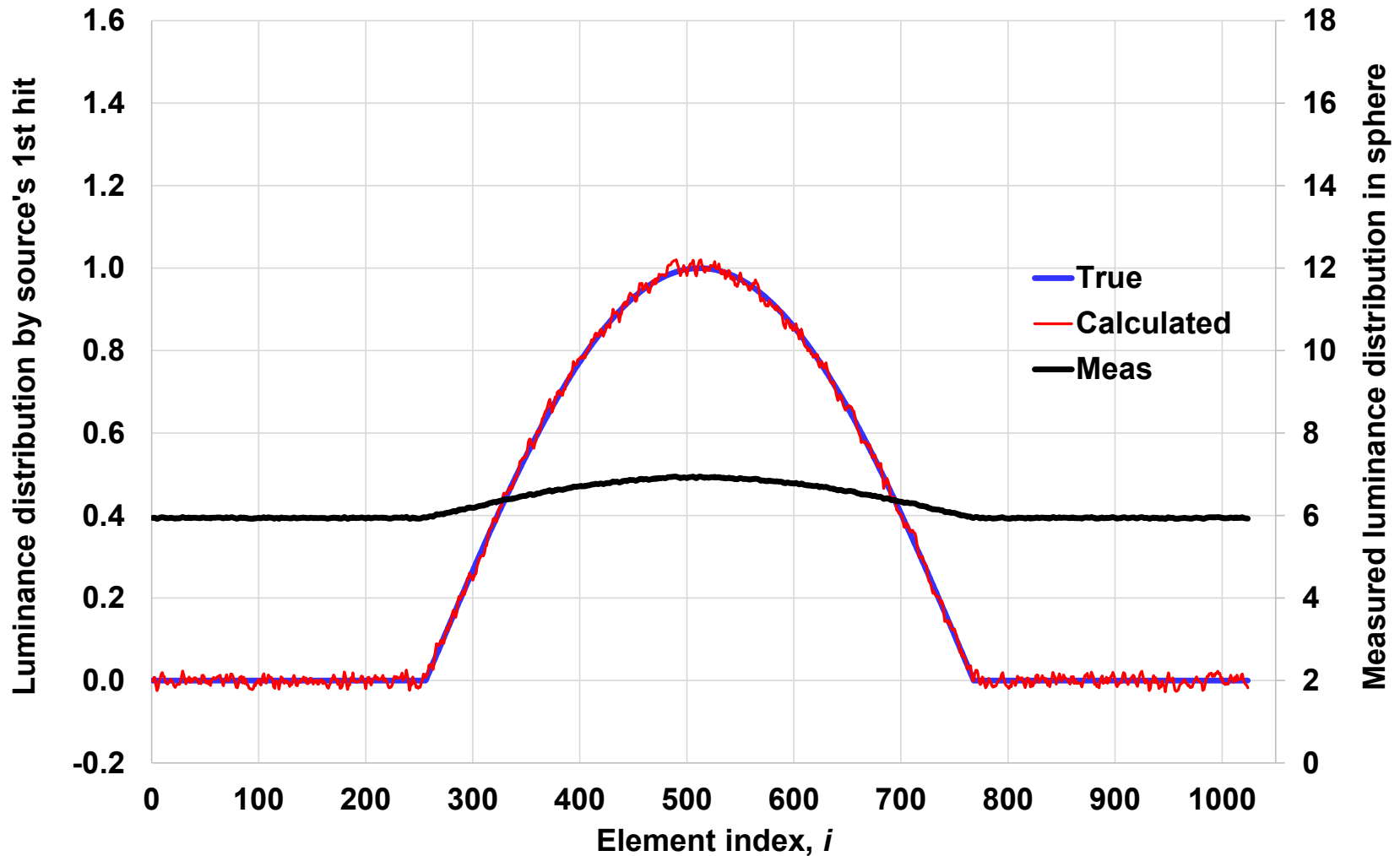
Derived luminance distribution ($n=1024$)

$\rho = 0.98$, 1 % added noise



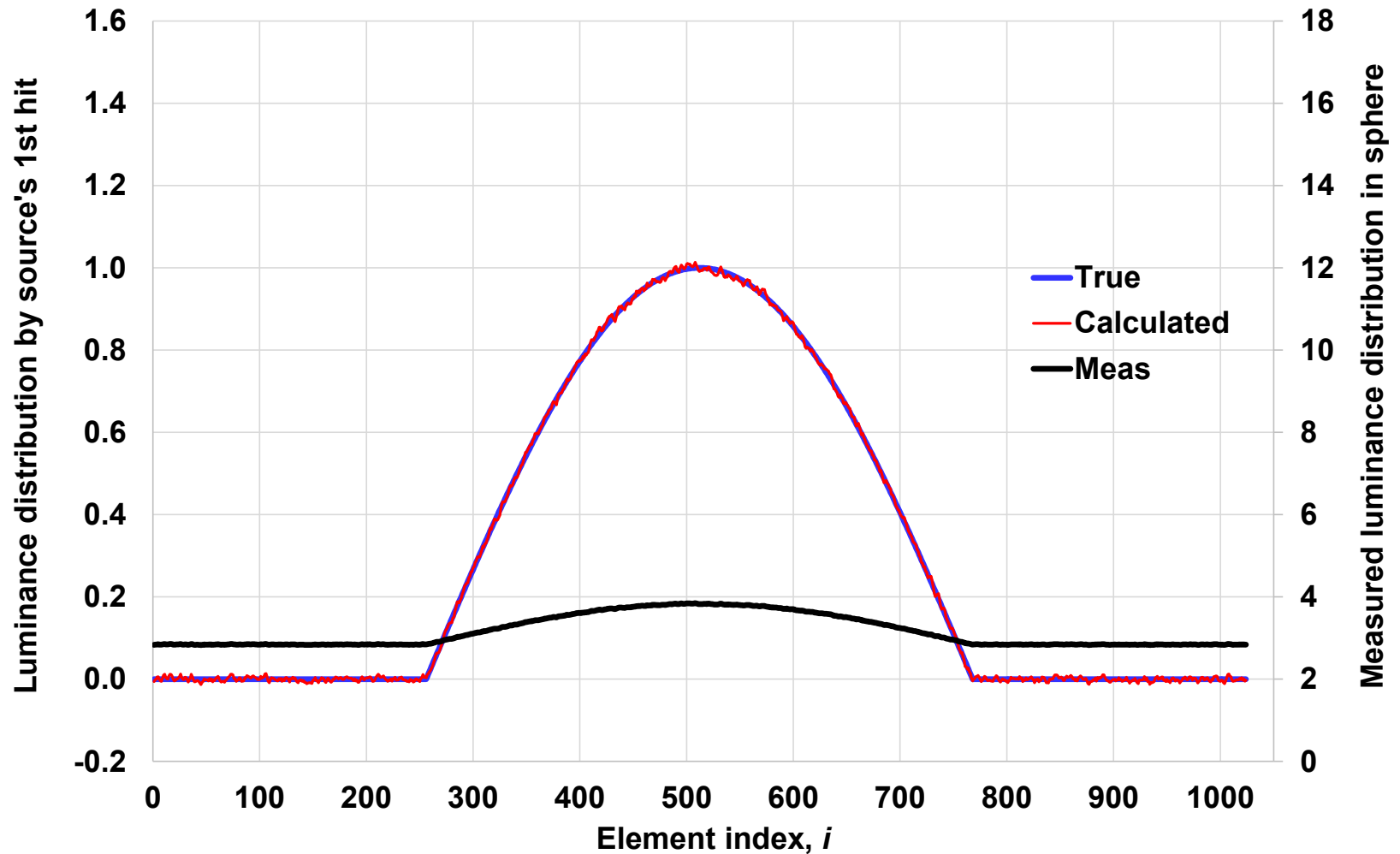
Derived luminance distribution ($n=1024$)

$\rho = 0.95$, 1 % added noise



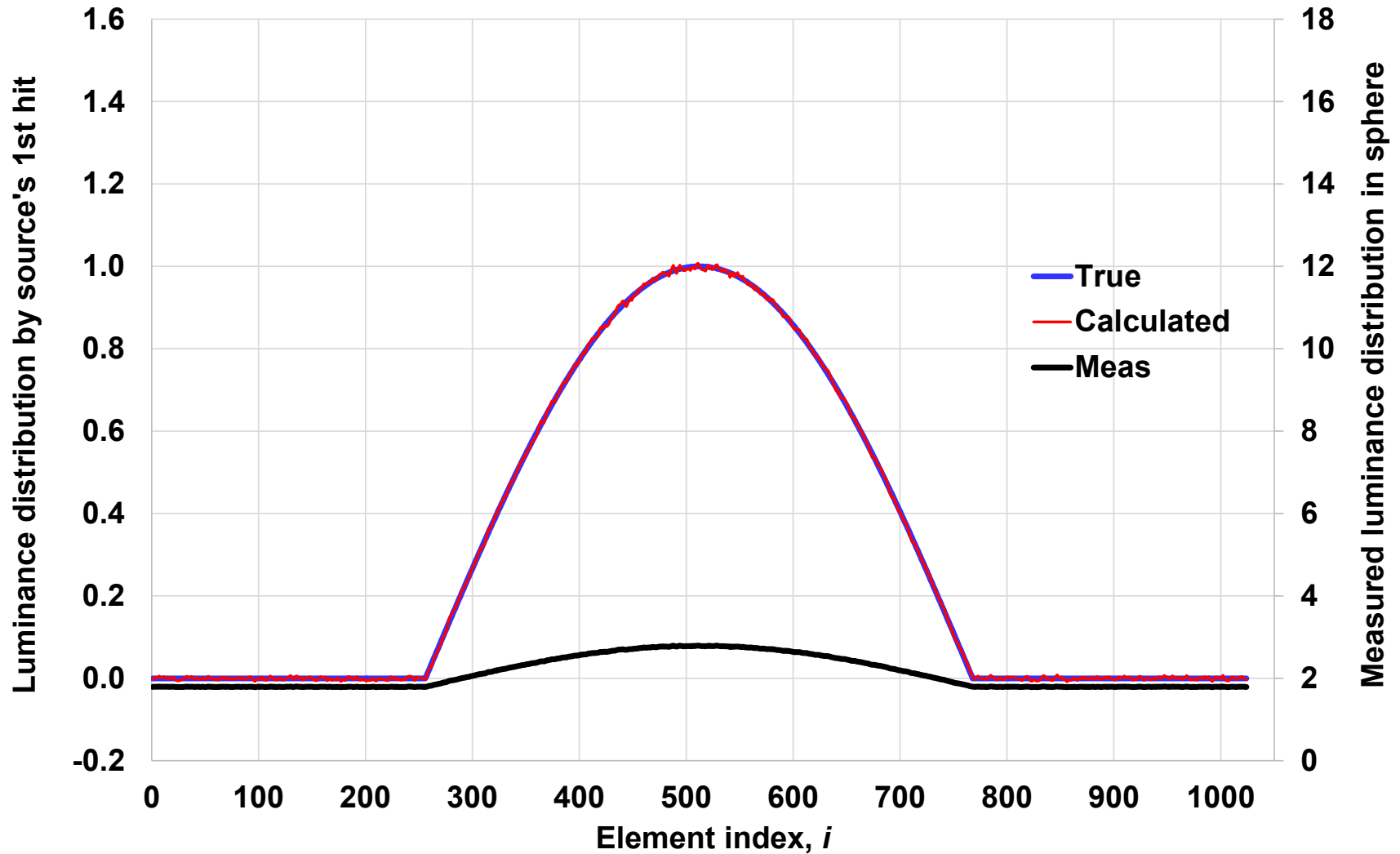
Derived luminance distribution ($n=1024$)

$\rho = 0.90$, 1 % added noise



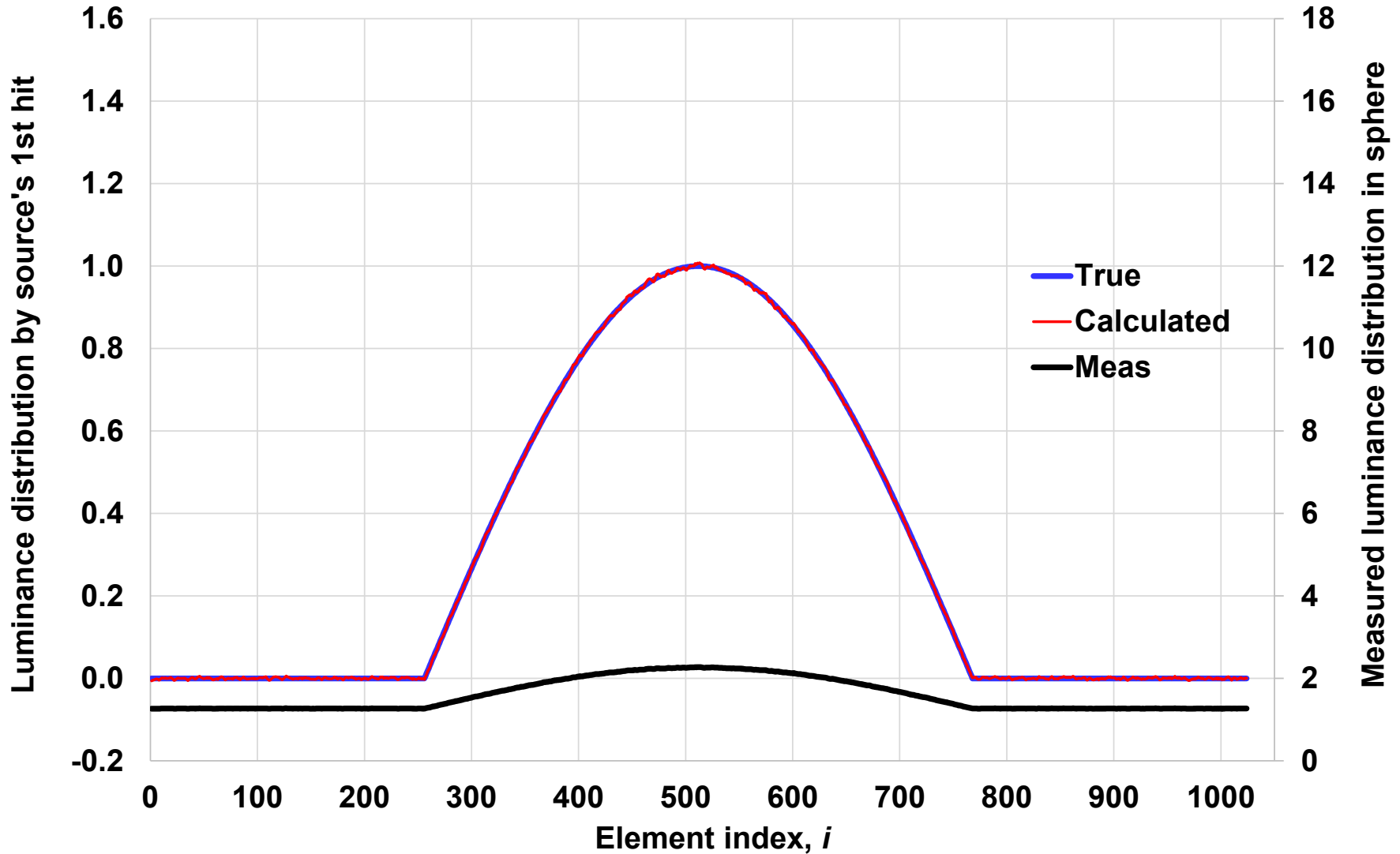
Derived luminance distribution (n=1024)

$\rho = 0.85$, 1 % added noise



Derived luminance distribution ($n=1024$)

$\rho = 0.80$, 1 % added noise



Correction of angular mismatch error

$$C_{\lambda\tau} = \frac{\sum_{i=1}^n \hat{n}_{\lambda} L_{\lambda, \text{rel}, i}(\text{test}) / \sum_{i=1}^n \hat{n}_{\lambda} L_{\lambda, \text{rel}, i}(\text{test}) \rho_{\lambda i}}{\sum_{i=1}^n \hat{n}_{\lambda} L_{\lambda, \text{rel}, i}(\text{standard}) / \sum_{i=1}^n \hat{n}_{\lambda} L_{\lambda, \text{rel}, i}(\text{standard}) \rho_{\lambda i}}$$

CIE 198:2011, “Determination of Measurement Uncertainties in Photometry.” (2011)

Derivation of absolute luminous intensity

$$I_{\nu, \text{rel}} = \pi r^2 (\rho L)$$

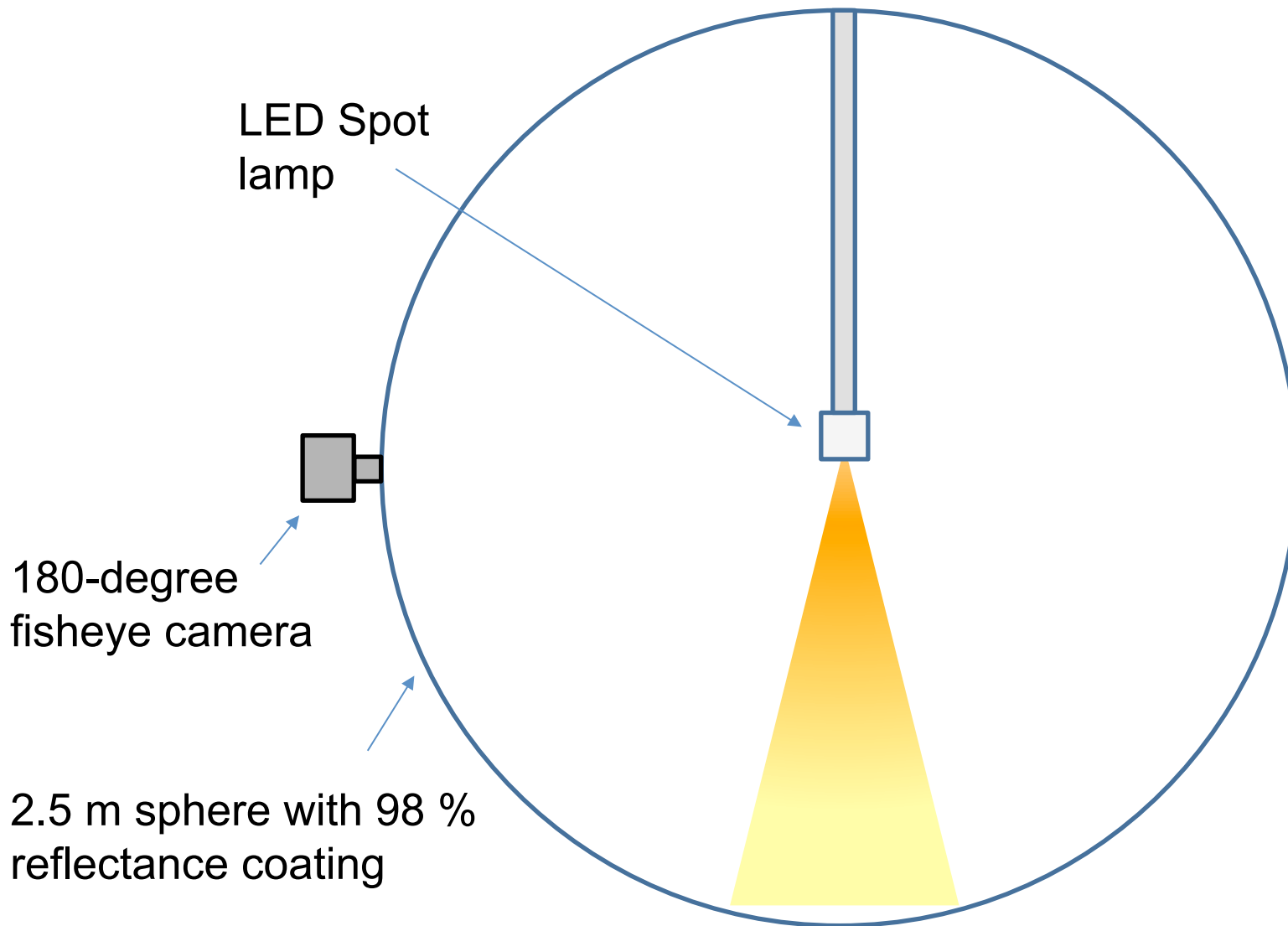


$$I_{\nu} = k I_{\nu, \text{rel}}$$

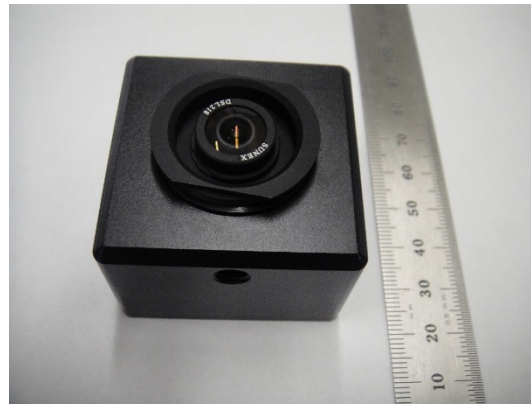
$$k = \Phi_{\nu} n / 4\pi \sum_{i=1}^n I_{\nu, \text{rel}, i}$$



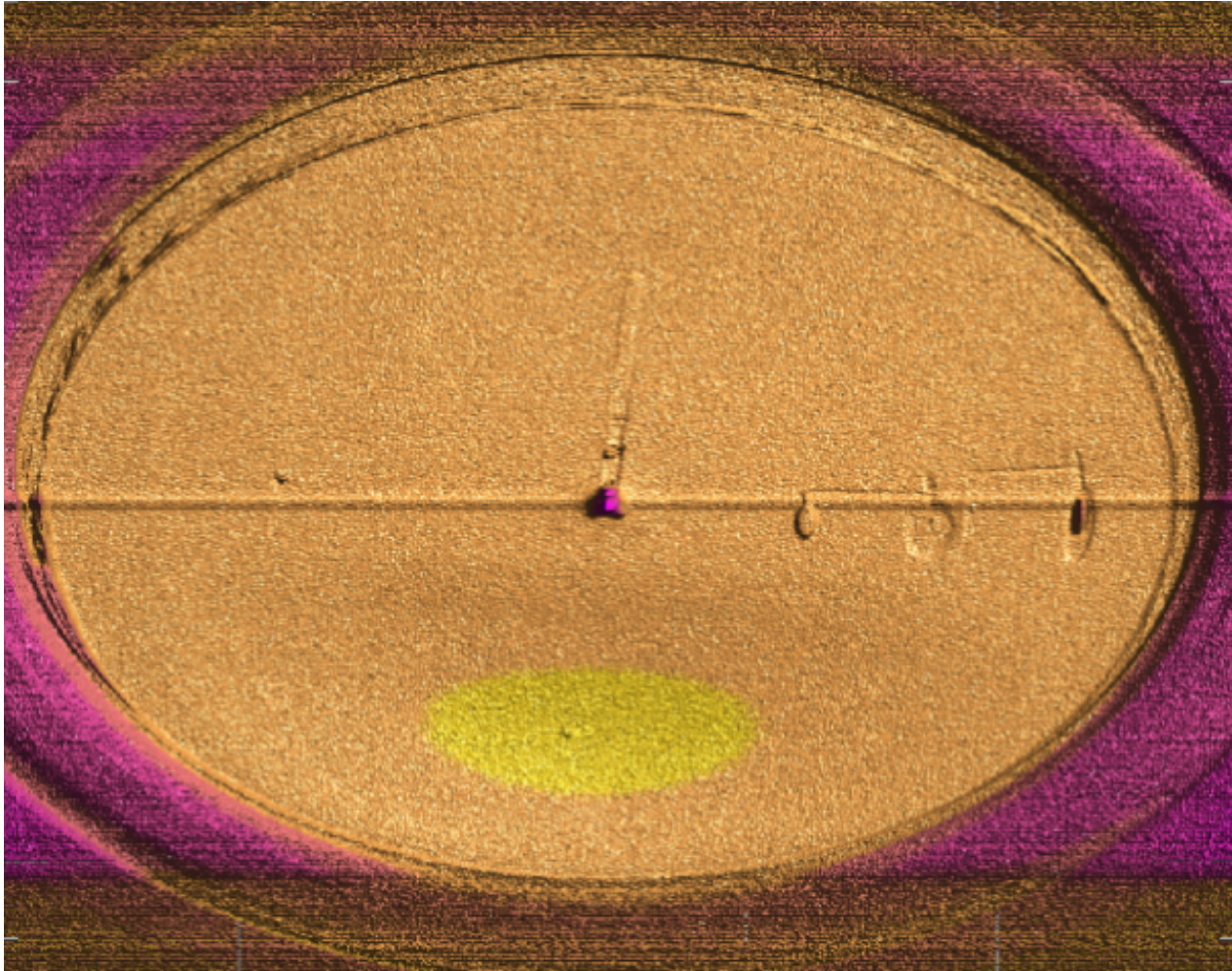
Schematic of the experimental setup



The fisheye camera



Measured radiance distribution in the sphere wall



Summary

- The new method can be implemented in existing sphere systems.
- The measured angular luminance distribution can be used for real-time correction of the error from the spatial non-uniformity of the integrating sphere.
- The best reflectance of the coating should be **re-considered now**. A lower coating reflectance not only makes sphere more stable but also enables the sphere to measure accurate luminance distribution; making it a true gonio-integrating sphere.
- Further validations are in progress.

Acknowledgements

Cameron Miller

Maria Nadal

Ben Tsai

Yoshi Ohno

Thank you

